

# كلية الحاسبات والمعلومات

المستوي الاول برنامج أمن المعلومات  
وتكنولوجيا الشبكات والمحمول

**الفصل الدراسي الاول**

**2021-2020**

تاريخ الامتحان: 2021/2/27

نموذج اجابة ورقة كاملة

المادة: تأهيلي الرياضيات

أستاذ المادة : د / أحمد مصطفى عبد الباقي مجاهد

استاذ مساعد بقسم الرياضيات بكلية العلوم بينها

# صورة من الاسئلة



**Benha University**  
**1<sup>st</sup> Term (February 2021) Final Exam**  
**Information Security and Digital Forensics Program**  
**Level: 1<sup>st</sup> level**  
**Subject: Qualifying Mathematics**



**Faculty of Computers & AI**  
**Date: 27 /2 /2021**  
**Time: 3 hrs.**  
**Total Marks: 50 Marks**  
**Examiner(s): Dr. Ahmed Megahed**

**Choose the correct answer [ 25 questions in 3 pages]:**

- 1- The point  $A(2, -3, 0)$  lies  
(a) on the z-axis      b) in the y z-plane      (c) in the x y- plane      (d) on the x-axis
- 2- The distance between the point  $(2, -3, 5)$  and the x-z plane equals length unit.  
(a) 2      b) -3      (c) 3      (d) 5
- 3- The perpendicular distance from the point  $(-5, -3, 4)$  to the x- axis = ... length unit.  
(a) 3      b) 5      (c) 4      (d) 10
- 4- If  $A(-4, -2, 3)$ ,  $B(1, 2, k)$  and the length of  $\overline{AB} = \sqrt{77}$ , then  $k =$   
(a) -3 or 6      b) ) -3 or 12      (c) ) 9 or 6      (d) 9 or -3
- 5- The radius length of the sphere  $x^2 + y^2 + z^2 + 2x - 6y + 10z - 1 = 0$  equals  
(a) 3      b) 4      (c) 5      (d) 6
- 6- The equation of the sphere whose center is the origin and its radius length=3 is  
(a)  $x^2 + y^2 + z^2 = 3$       (b)  $x^2 + y^2 + z^2 = 9$   
(c)  $(x - 2)^2 + (y - 3)^2 + (z - 2)^2 = 9$       (d)  $x^2 + y^2 + z^2 + 9 = 0$
- 7- The area of the sphere whose equation  $x^2 + y^2 + z^2 - 25 = 0$  equals... area units  
(a)  $20\pi$       b)  $40\pi$       (c)  $25\pi$       (d)  $100\pi$
- 8-  $\begin{vmatrix} \sin x & \cos x \\ \cos x & -\sin x \end{vmatrix} =$   
(a) zero      b) 1      (c) -1      (d)  $\cos 2x$
- 9-  $\begin{vmatrix} 3 & 1 & 2 \\ 4 & 0 & 5 \\ 5 & 3 & 7 \end{vmatrix} = \begin{vmatrix} 1 & 1 & 2 \\ 1 & 0 & 5 \\ 1 & 3 & 7 \end{vmatrix} + \dots$   
(a)  $\begin{vmatrix} 2 & 1 & 2 \\ 3 & 0 & 5 \\ 4 & 3 & 7 \end{vmatrix}$       b)  $\begin{vmatrix} 3 & 1 & 2 \\ 4 & 0 & 5 \\ 5 & 3 & 7 \end{vmatrix}$       (c)  $\begin{vmatrix} 2 & 1 & 2 \\ 4 & 0 & 5 \\ 2 & 3 & 7 \end{vmatrix}$       (d)  $\begin{vmatrix} 2 & 1 & 2 \\ 2 & 0 & 5 \\ 3 & 3 & 7 \end{vmatrix}$

- 10- If  $\begin{vmatrix} a & b & c \\ d & e & f \\ x & y & z \end{vmatrix} = 12$  then  $\begin{vmatrix} a & d & x \\ b & e & y \\ c & f & z \end{vmatrix} = \dots$
- (a)-12                      b) 12                      (c) zero                      (d)24
- 11- The solution set of equation  $\begin{vmatrix} x & 1 & 2 \\ 0 & x & 3 \\ 0 & 0 & x \end{vmatrix} - 8 = 0$  in  $\mathbb{R}$  is
- (a){-2}                      b){2}                      (c){2,-2}                      (d){8}
- 12- The singular matrix from the following matrices is ...
- (a)  $\begin{pmatrix} 3 & 4 \\ 5 & 6 \end{pmatrix}$                       b)  $\begin{pmatrix} 3 & -2 \\ 6 & -4 \end{pmatrix}$                       (c)  $\begin{pmatrix} 2 & 3 \\ 4 & 5 \end{pmatrix}$                       (d)  $\begin{pmatrix} 2 & 4 \\ -3 & 6 \end{pmatrix}$
- 13- If  $= \begin{pmatrix} 1 & 2 \\ 3 & -5 \end{pmatrix}$ , then  $\text{adj}(A) = \dots$
- (a)  $\begin{pmatrix} -5 & -2 \\ -3 & 1 \end{pmatrix}$                       b)  $\begin{pmatrix} 3 & -5 \\ 1 & 2 \end{pmatrix}$                       (c)  $\begin{pmatrix} 2 & 1 \\ -5 & 3 \end{pmatrix}$                       d)  $\begin{pmatrix} -5 & 3 \\ 2 & 1 \end{pmatrix}$
- 14- If A and B are two non singular matrices, then  $(AB)^{-1}$  equals...
- (a)  $AB$                       b)  $A^{-1}B^{-1}$                       (c)  $B^{-1}A^{-1}$                       (d)  $(BA)^{-1}$
- 15- If A, B, C are three matrices of order n x n and  $ABC = I$ , then  $B^{-1} = \dots$
- (a)  $A^{-1}C^{-1}$                       b)  $(AC)^{-1}$                       (c)  $C^{-1} + A^{-1}$                       (d)  $CA$
- 16- If A,B are two matrices of order 3 x 3 and  $A=2B$ ,  $\det(B)=5$ , then  $\det(A) =$
- (a) 8                      b) 16                      (c) 32                      (d) 40
- 17- For any square matrix A if  $A^2 - A + I = 0$  then  $A^{-1} =$
- (a)  $A^{-2}$                       b)  $A + I$                       (c)  $I - A$                       (d)  $A - I$
- 18- Value of which makes the matrix  $\begin{pmatrix} x & 2 \\ -3 & 3 \end{pmatrix}$  is singular is ...
- (a) 2                      b) -2                      (c) 0.5                      (d) -3
- 19- If A is a matrix of order 2 x 2 and  $\det(A)=5$ , then  $\det(3A) = \dots$
- (a) 5                      b) 15                      (c) 45                      (d) 10
- 20- The solution set of the equation  $z^2 + 9 = 0$  in  $\mathbb{C}$  is
- (a) {3,-3}                      b) {i,-i}                      (c) {3i,-3i}                      (d) {-9}
- 21- If  $z = a + bi, z + \bar{z} = 6$ , then  $a =$
- (a) 3                      b) -3                      (c) 6                      (d) -6
- 22- The number  $z=3-4i$  is represented on Argand's diagram by the point A where  $A =$
- (a) (3,4)                      b) (3,-4)                      (c) (-3,4)                      (d) (-3,-4)

- 23- The complex number  $z = -2i$  in trigonometric form equals  
(a)  $2(\cos 90^\circ + i \sin 90^\circ)$     (b)  $2(\cos -90^\circ + i \sin -90^\circ)$   
(c)  $2(\cos 0^\circ + i \sin 0^\circ)$     (d)  $2(\cos 180^\circ + i \sin 180^\circ)$
- 24- If  $|z| = 6$  then  $|\bar{z}| = \dots$   
(a) 6    (b) -6    (c)  $\frac{1}{6}$     (d)  $-\frac{1}{6}$
- 25-  $= \dots [5(\cos 10^\circ + i \sin 10^\circ)]^2$   
(a)  $25(\cos 100^\circ + i \sin 100^\circ)$     (b)  $10(\cos 100^\circ + i \sin 100^\circ)$   
(c)  $25(\cos 20^\circ + i \sin 20^\circ)$     (d)  $10(\cos 20^\circ + i \sin 20^\circ)$

**GOOD LUCK,**  
*Dr. Ahmed Megahed*

# Model Answer

No. of Question	Answer
1	c
2	c
3	b
4	d
5	d
6	b
7	d
8	c
9	a
10	b
11	b
12	b
13	a
14	c
15	d
16	d
17	c
18	b
19	c
20	c
21	a
22	b
23	b
24	a
25	c

**Dr. Ahmed Mostafa Megahed**